

Das Messen in der Raum- und Bauakustik

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Modern measurement techniques in room and building acoustics

- Introduction
- Modern versus classical methods – a conflict ? (MLS, sweeps, ...)
- New challenges in impact sound
- „Correct“ measurements? -> GUM
- Conclusions



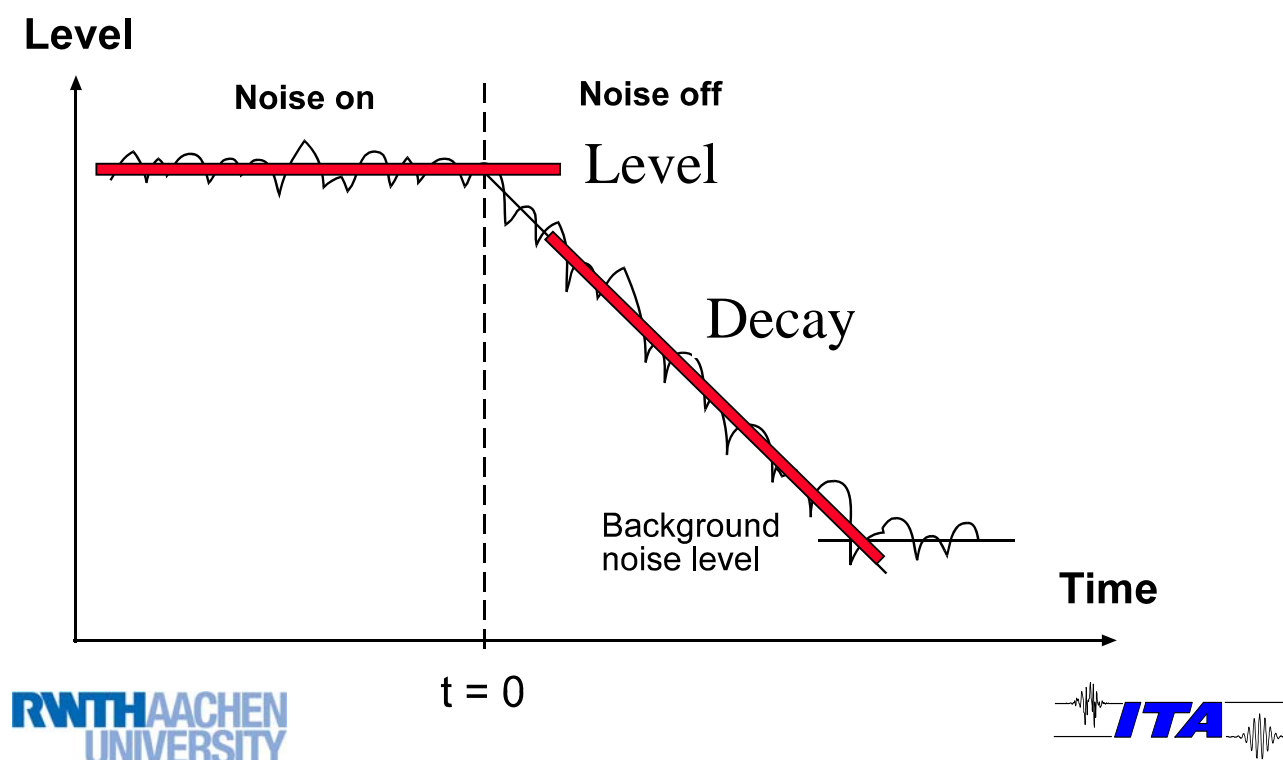
Modern vs classical methods

- Building Acoustics - what do we measure ?
- Sound levels (energy density)
- Reverberation times (1/3 octave bands)
- Sound intensity

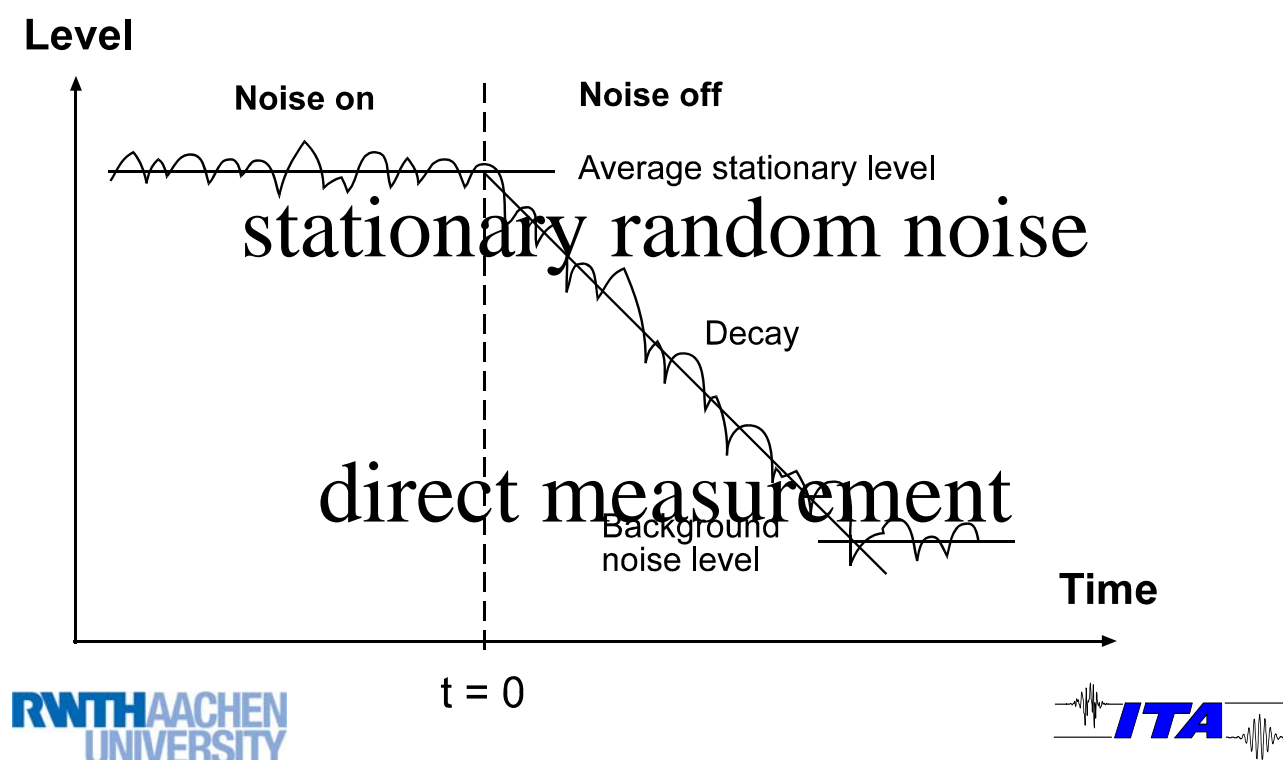
Classical methods in building acoustics

- ISO 140 (Sound insulation)
- ISO 354 (Sound absorption)
- ISO 10534 (Impedance tube)
- ISO 10484 (Flanking transmission)
-
- and ISO 3382 for room acoustics

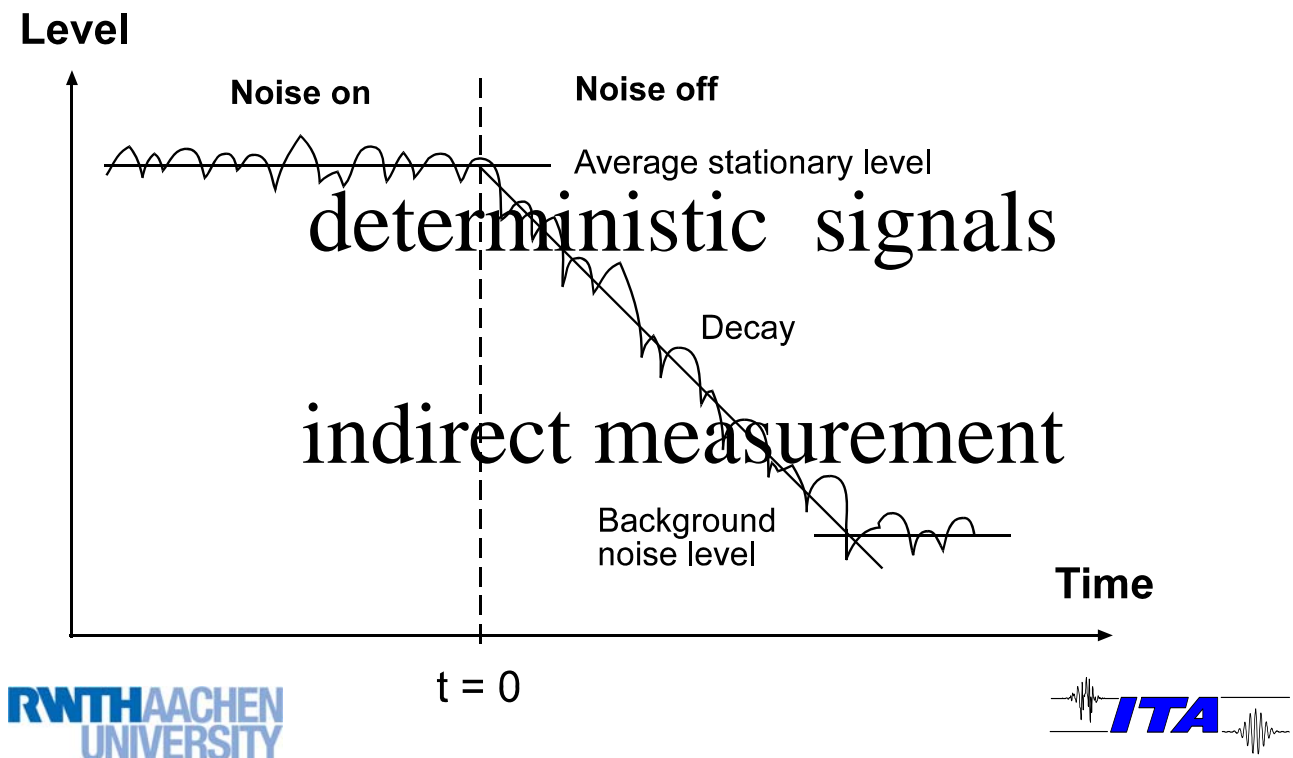
What do we measure ?



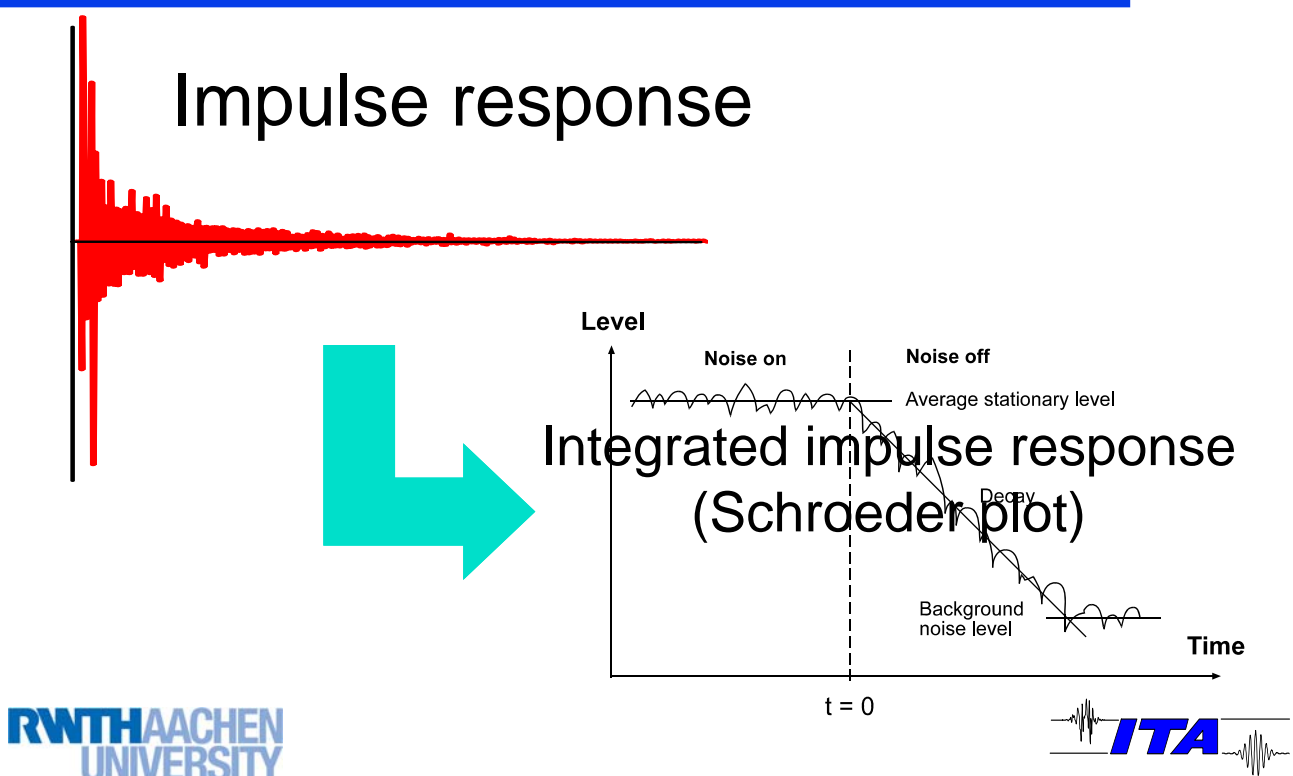
How ?



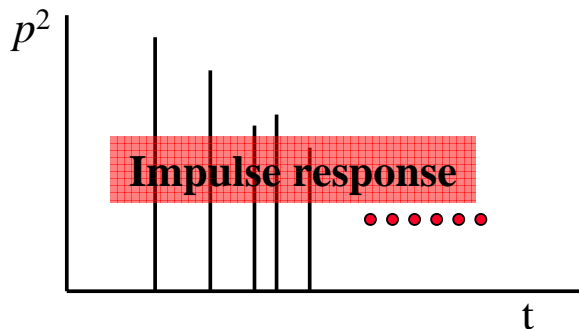
Modern measurement techniques



Modern measurement techniques – basic result

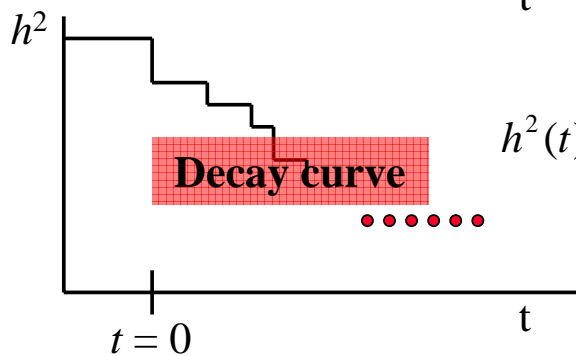


Integrated impulse response



Stationary case :

$$C = h^2(t < 0) = N_0 \int_0^{\infty} p^2(\tau) d\tau$$



Switch off :

$$h^2(t) = N_0 \left[\int_0^{\infty} p^2(\tau) d\tau - \int_0^t p^2(\tau) d\tau \right]$$

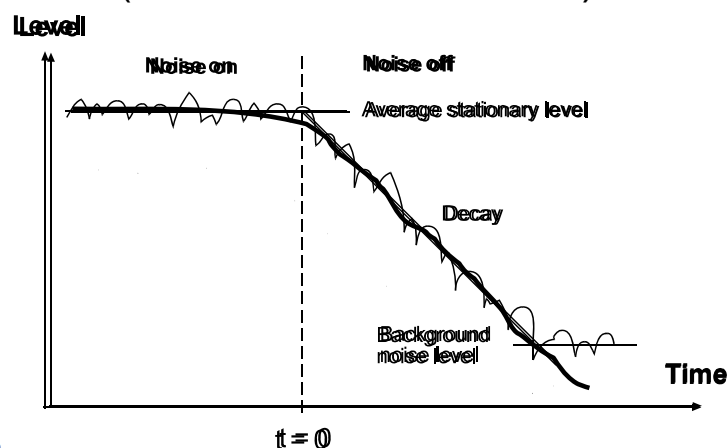
$$= N_0 \int_t^{\infty} p^2(\tau) d\tau$$

Integrated impulse response

Decay curve

$$h^2(t) = N_0 \int_t^{\infty} p^2(\tau) d\tau$$

Expected decay = average decay curve (infinite averages)
(smooth monotonic curve)



Modern measurement techniques in room and building acoustics

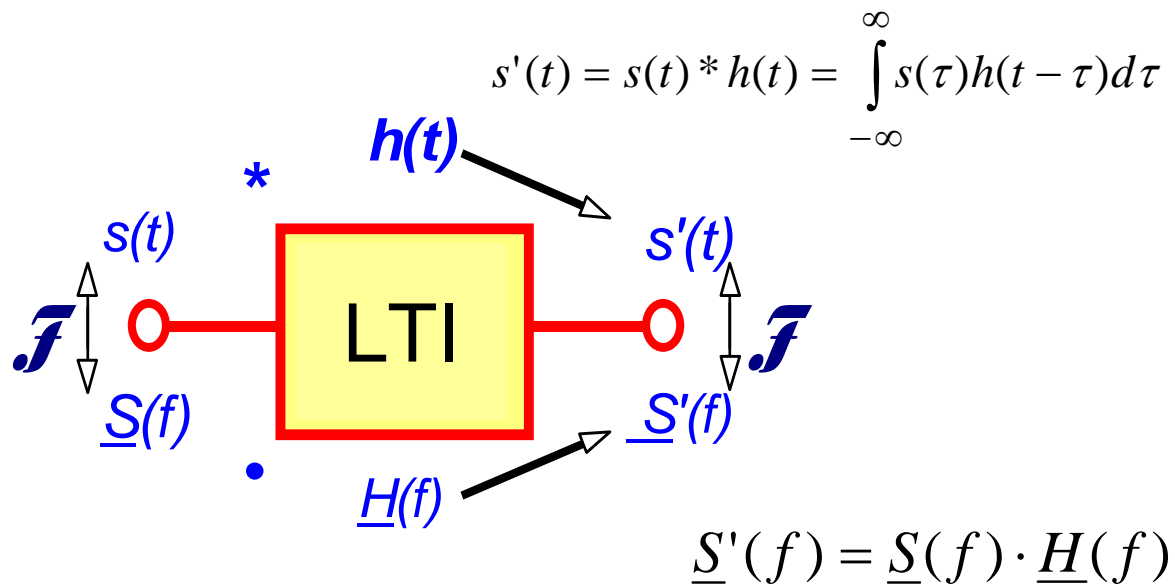
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No !

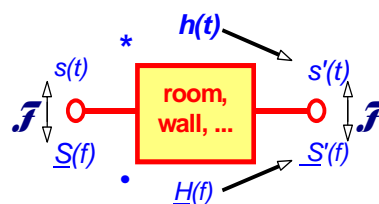
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Measurement of impulse responses



Measurement of impulse responses

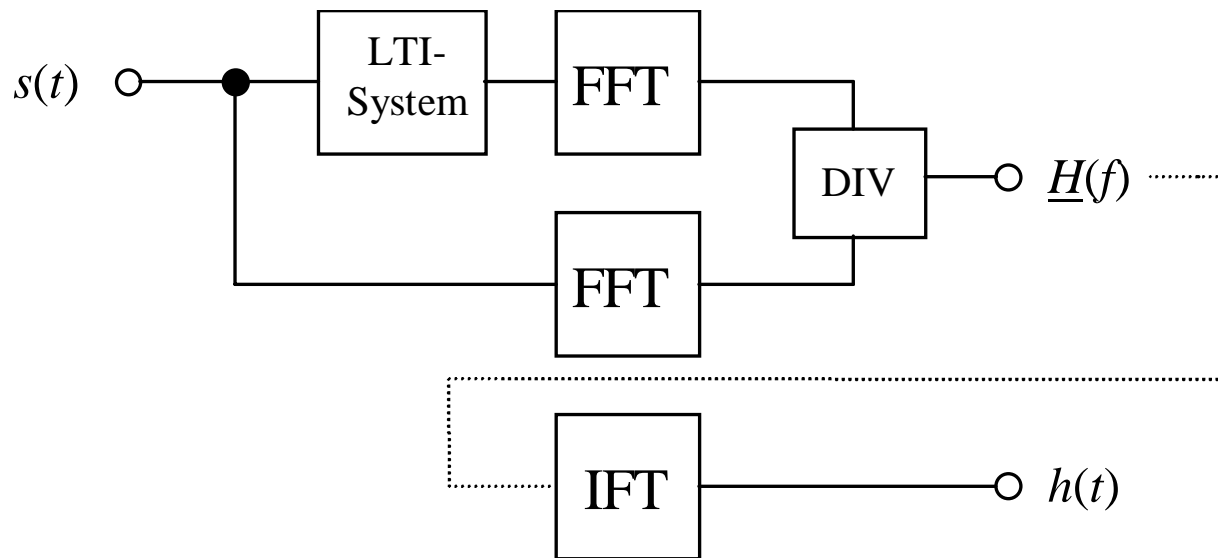


Method 1: Spectrum division, inverse FFT

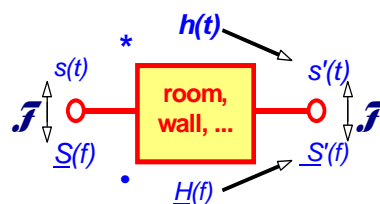
$$\underline{H}(f) = \frac{\underline{S'}(f)}{\underline{S}(f)} \quad h(t) = \mathbf{F}^{-1} \{ \underline{H}(f) \}$$

Important: $\underline{S}(f)$ broadband spectrum

Example 1: 2-channel FFT technique



Measurement of impulse responses

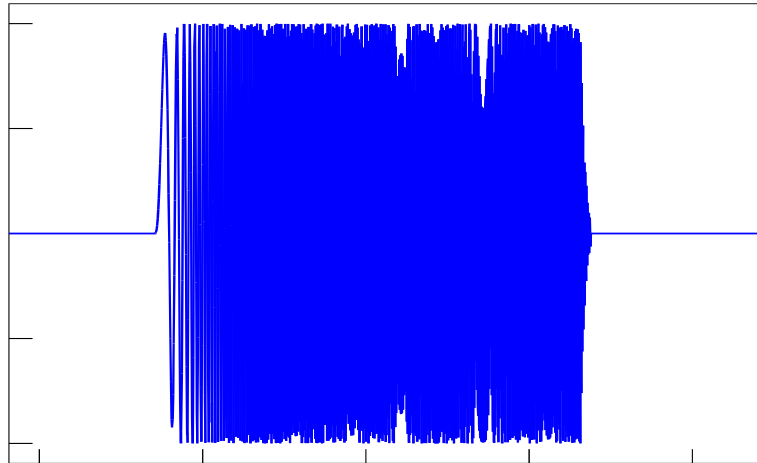


Method 2: Deconvolution

$$h(t) = s'(t) * s^{-1}(t) \quad s^{-1}(t) = \mathcal{F}^{-1} \left\{ \frac{1}{\underline{S}(f)} \right\}$$

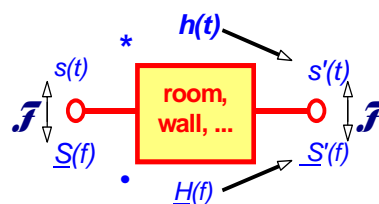
(matched filter, FIR filter)

Example 2: “white” sinusoidal sweep



$$s^{-1}(t) = s(T_{\text{Rep}} - t)$$

Measurement of impulse responses



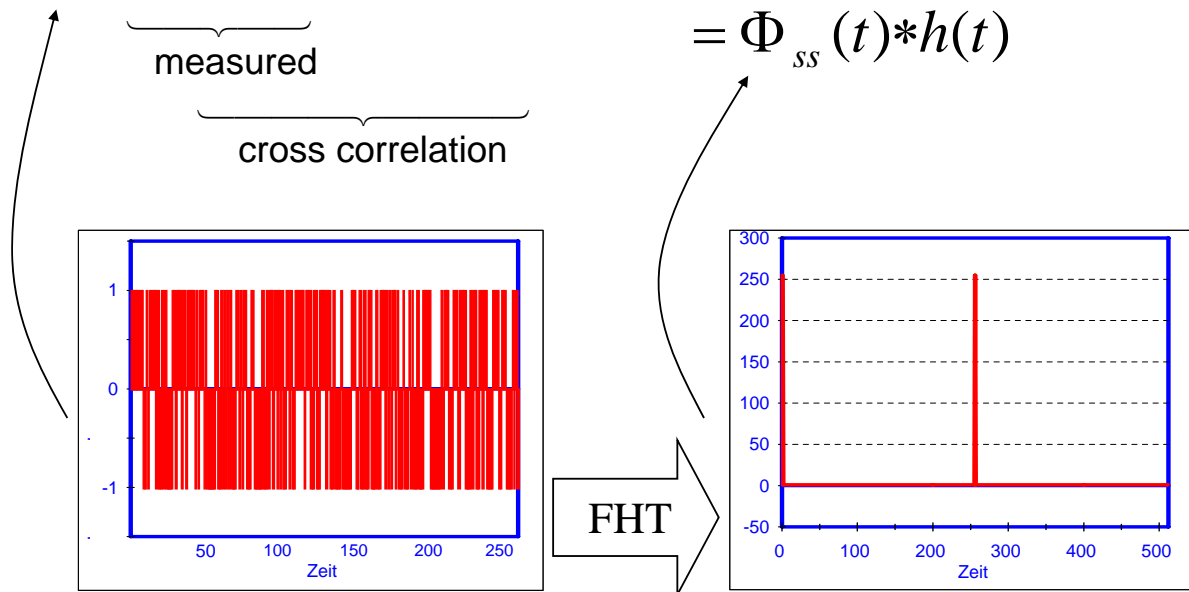
Method 3: cross correlation

$$h(t) = s'(t) * s(-t) = s'(t) \otimes s(t) = \int_{-\infty}^{\infty} s'(\tau) s(t + \tau) d\tau$$

Important: $s(t)$ „correlation signal“

Example 3: MLS technique

$$s_{\text{MLS}}(t) * h(t) * s_{\text{MLS}}(-t) = s_{\text{MLS}}(t) * s_{\text{MLS}}(-t) * h(t)$$



Modern measurement techniques

$$h(t) = \mathbf{F}^{-1} \left\{ \frac{\underline{S}'(f)}{\underline{S}(f)} \right\}$$

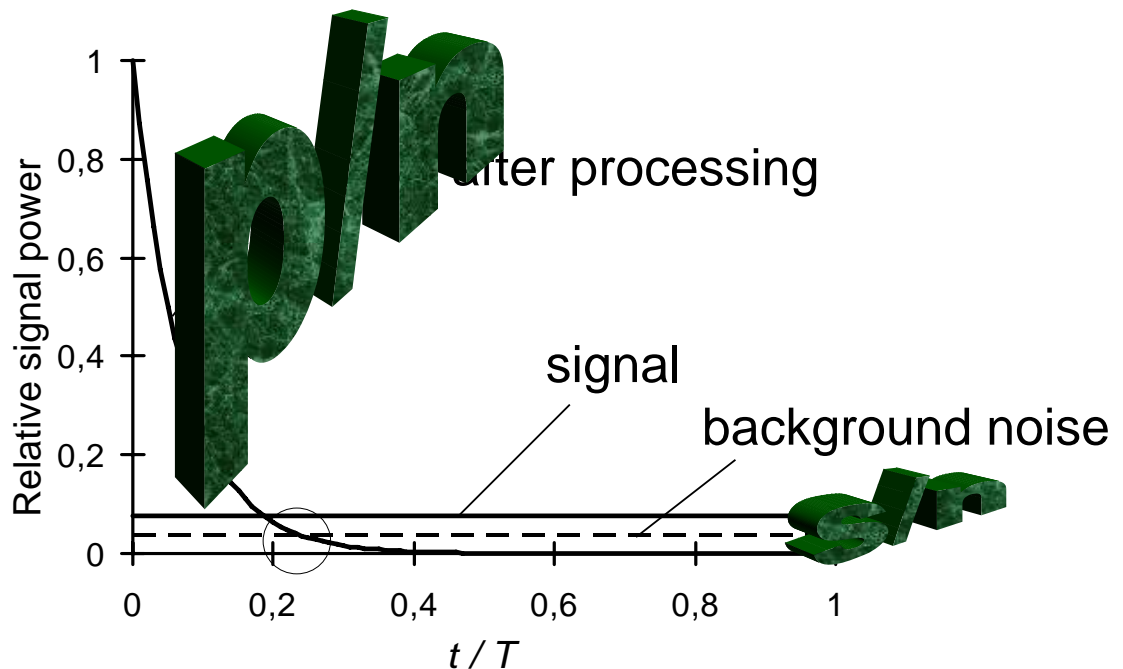
$$h(t) = s'(t) * s^{-1}(t) ; \quad s^{-1}(t) = \mathbf{F}^{-1} \left\{ \frac{1}{\underline{S}(f)} \right\}$$

$$h(t) = s'(t) * s(-t) = s'(t) \otimes s(t)$$

- Formulations mathematically equivalent („white“ spectrum signals)
- Differences in crest factor (peak to rms), numerical precision, performance of A/D hardware,

Energy compression

by: - spectrum division
- deconvolution
- cross correlation



Impact into standardisation: ISO 18233

- Classical method vs. modern methods
- Impulse measurement technique
(Excitation, spectral requirements, level and linearity, stability and time-invariance, integration limits, averaging, noise compensation,)
- Annex A: Example of MLS
- Annex B: Example of Swept-sine

Errors caused by nonlinearities

After Müller and Massarani (J. Audio Eng. Soc. 2001)

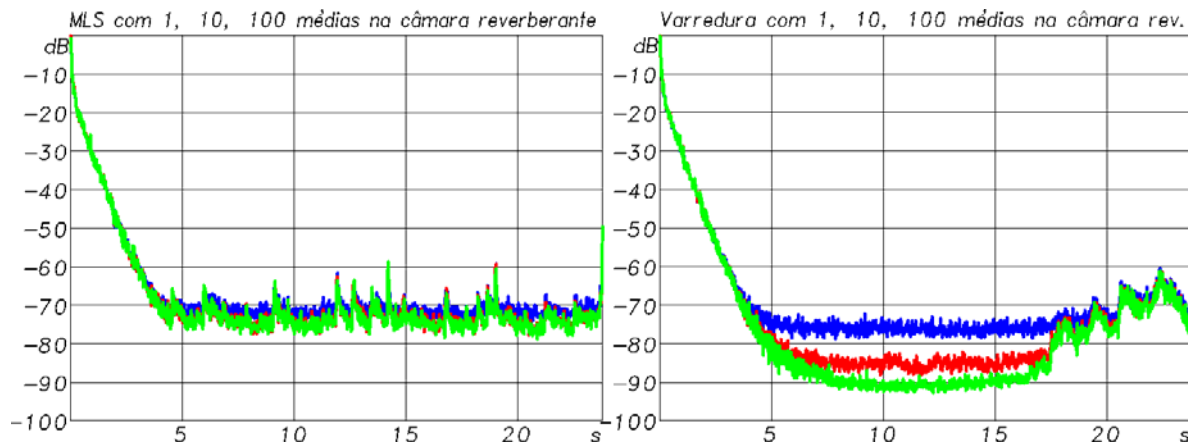


Fig. 10. Measurement of room impulse response in a reverberant chamber with 1, 10 and 100 synchronous averages. Left: with MLS, right: with sweep of identical coloration and energy. The curves are compressed to 1303 values, each of them representing the maximum of 805 consecutive samples.

Modern measurement techniques in room and building acoustics

- we can measure as accurately as we want !

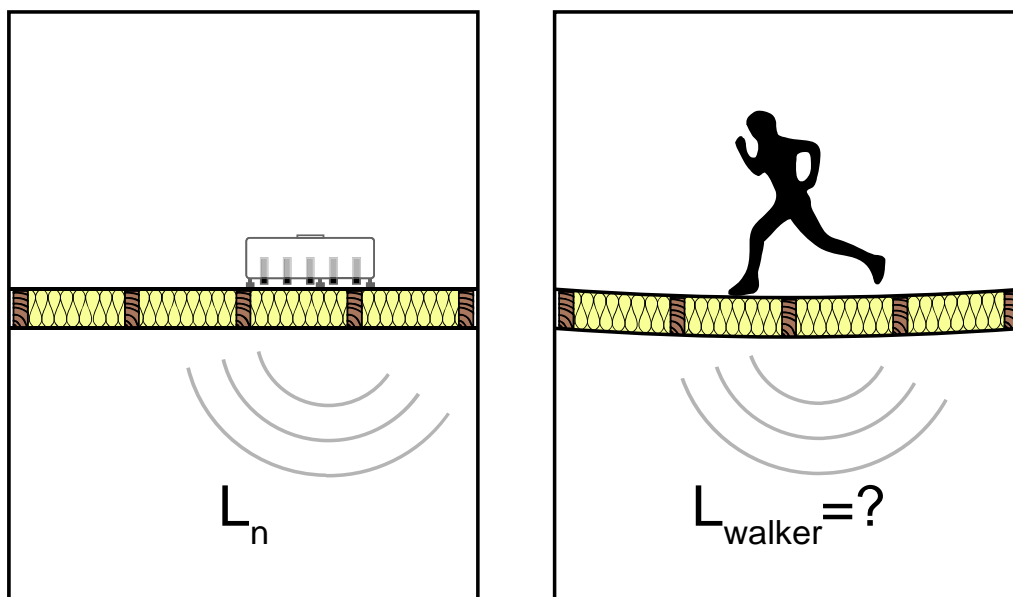
?

- yes, if LTI is fulfilled
- the remaining sources of errors are related to the acoustic field, to loudspeakers and to microphones, these errors are more or less systematic (-> GUM)

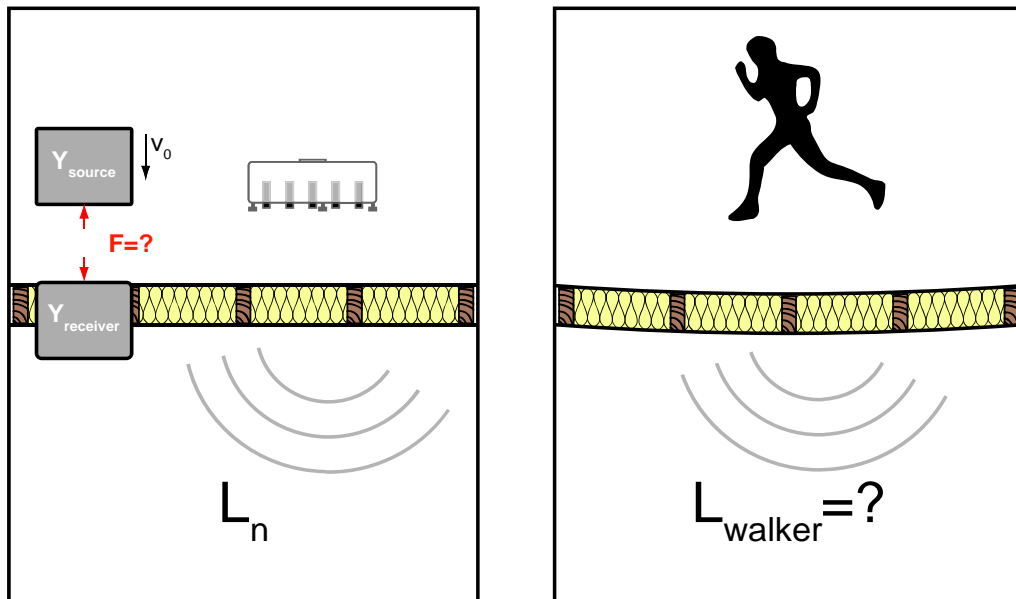
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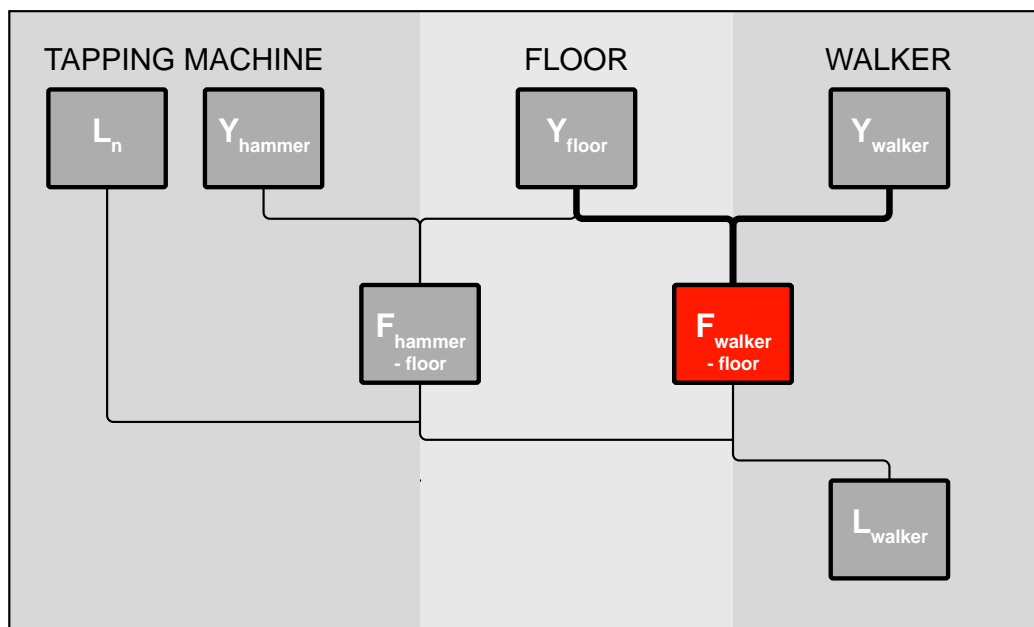
Impact sound level of a person walking



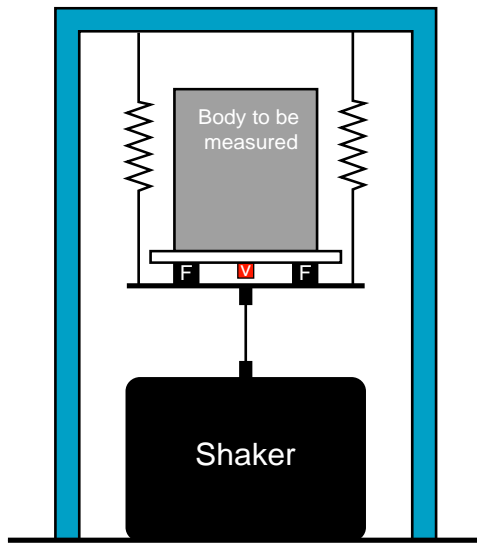
Interaction force



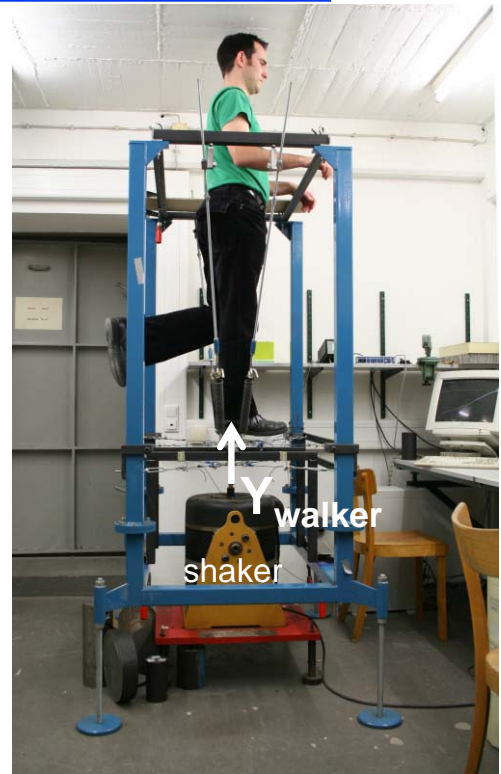
Calculating L_{walker}



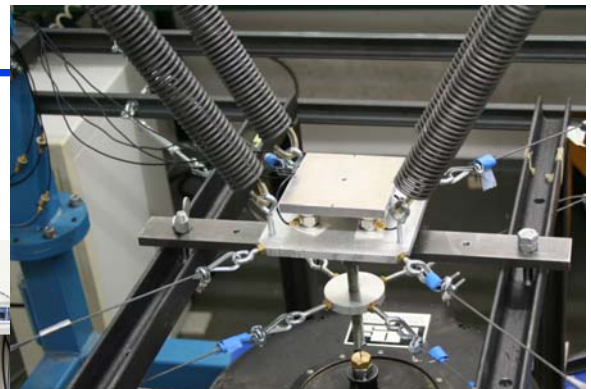
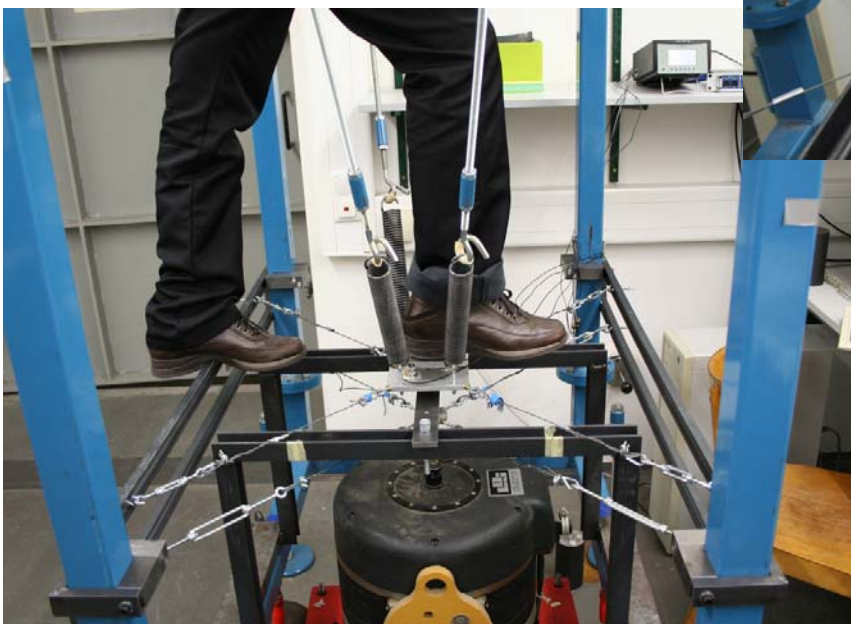
Measurement setup



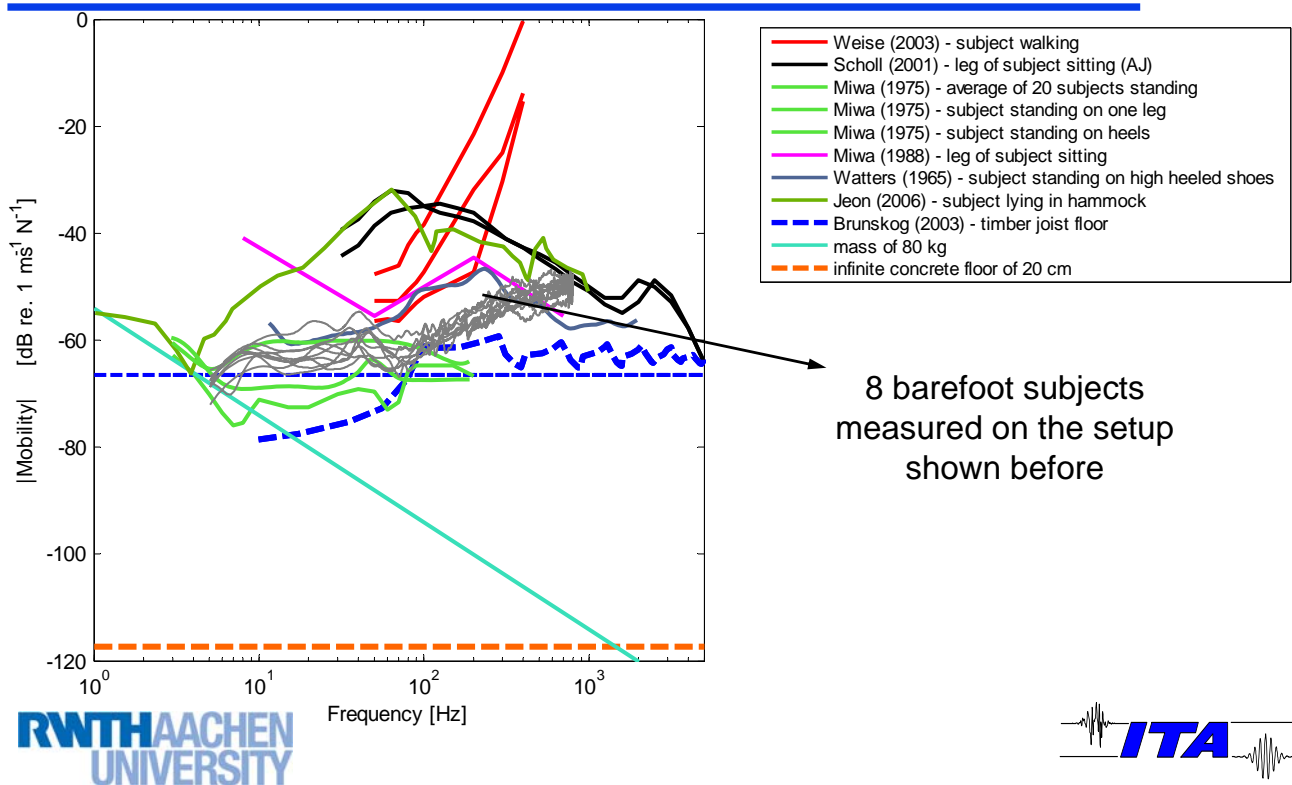
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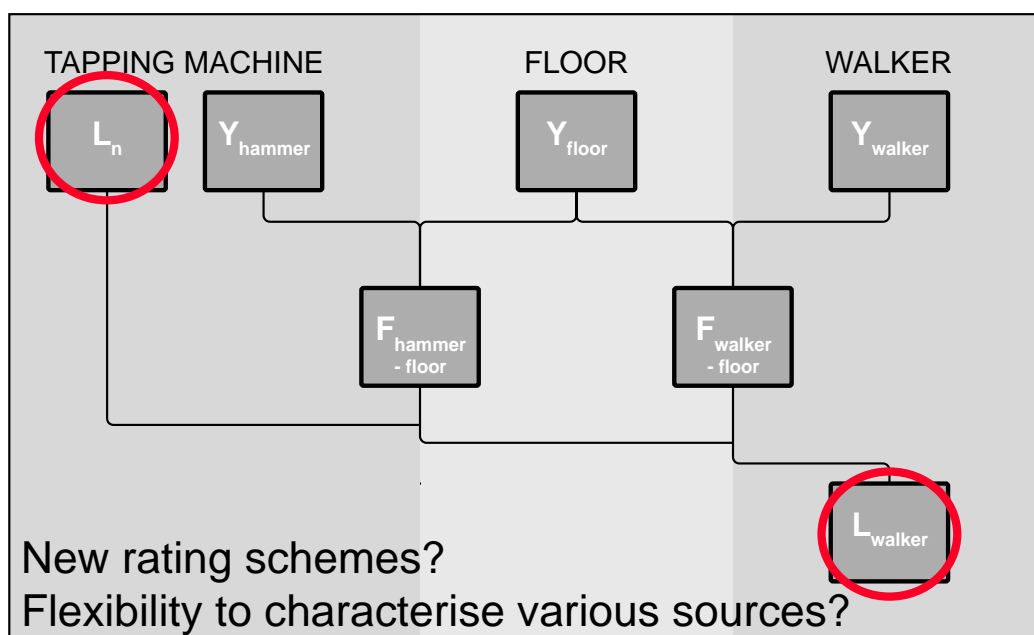
Measurement setup



Walker and floor mobilities



L_n , L_{walker} , L_{ap} and all the others

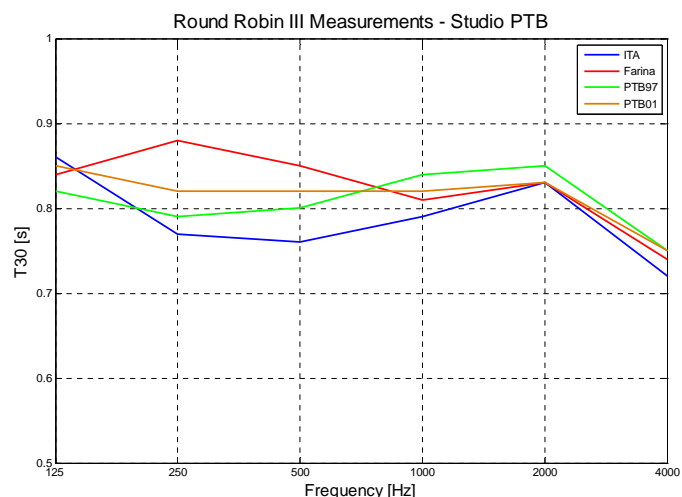


(walking, jumping, housing equipment)

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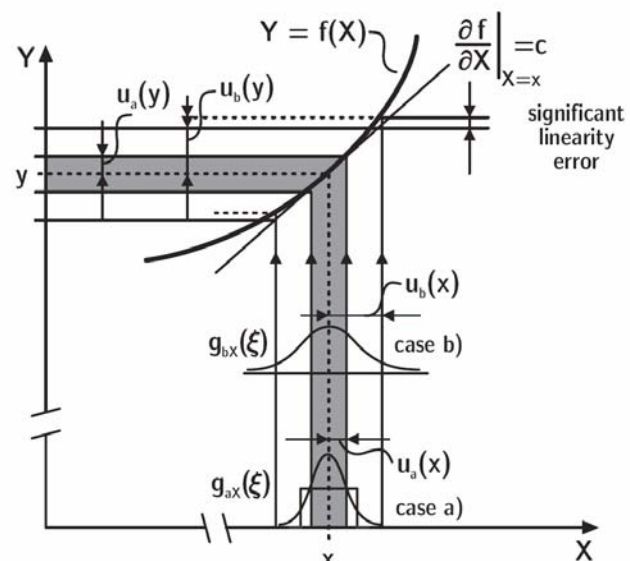
Why are uncertainties relevant?



GUM

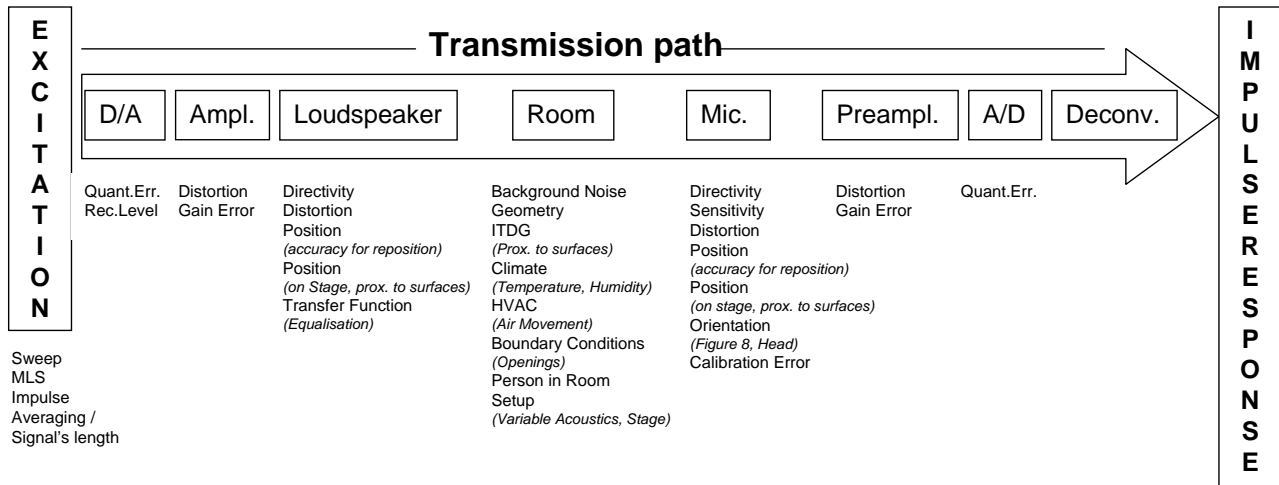
- Guide to the Expression of Uncertainty in Measurement
- Standardised methodology to treat uncertainties
- Guideline to develop uncertainty intervals
- Requirement in many measurement standards in acoustics

GUM procedure



A systematic approach to the modelling of measurements for uncertainty evaluation

GUM procedure & application

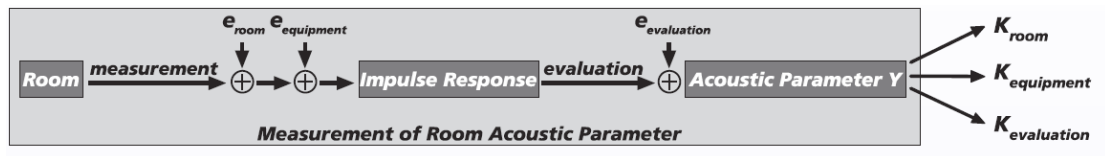


Applying GUM to room acoustics

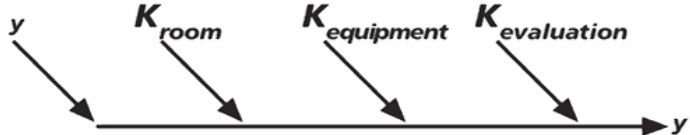
- Identification of influence factors is challenging
- Influence factors not always directly measurable
- Complex mathematical operations (2Ch-FFT)
- RIR not a simple “in-between quantity”
- Search for a simple and practical model

Room acoustical measurement model

- Linear model with sources of error



- Linear uncertainty dependence graph



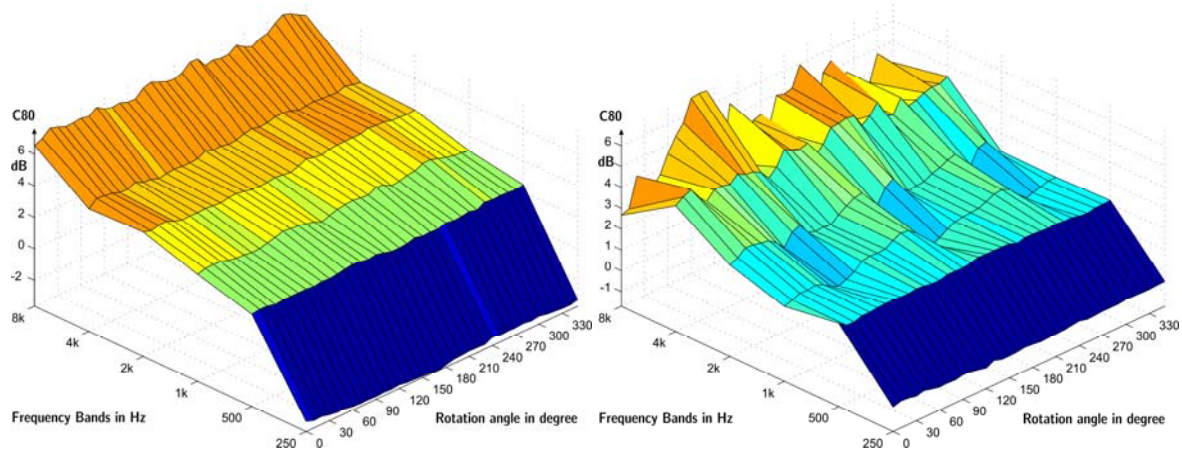
$$y = y' - K_{room} - K_{equipment} - K_{evaluation}$$

Experiments

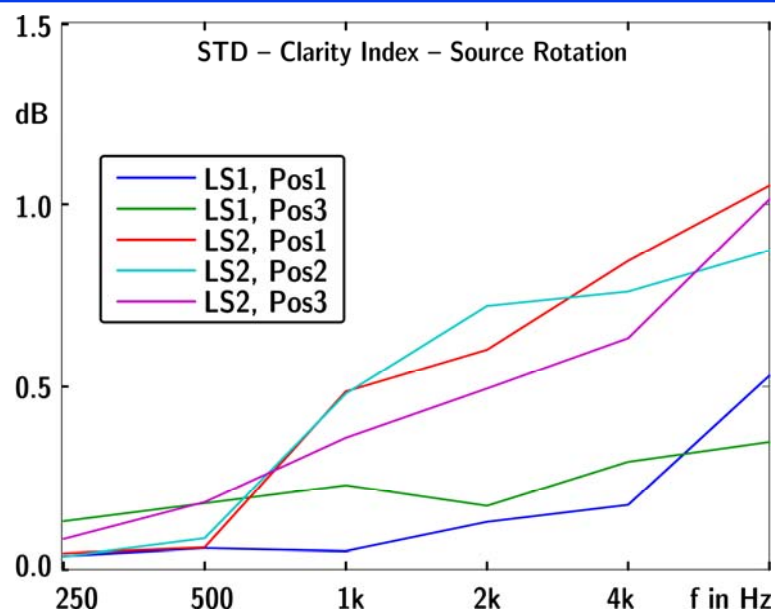
- Determining correction factors using special measurements
 - Turning the loudspeaker on a turntable
 - Displacement of the loudspeaker
 - Displacement of the microphones
 - Background noise
 - LTI-assumption correct?



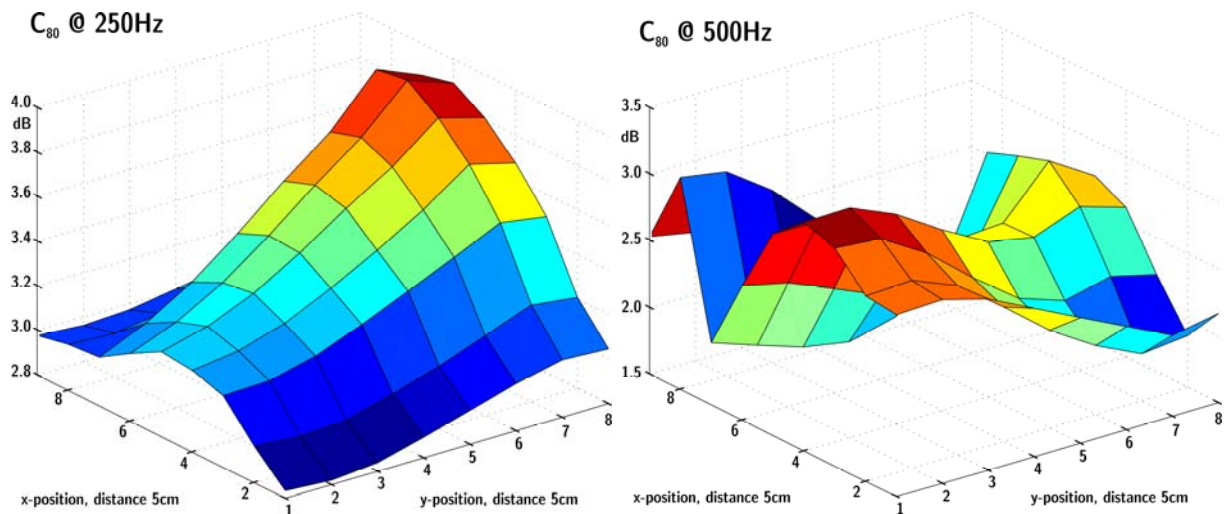
One example: Source rotation



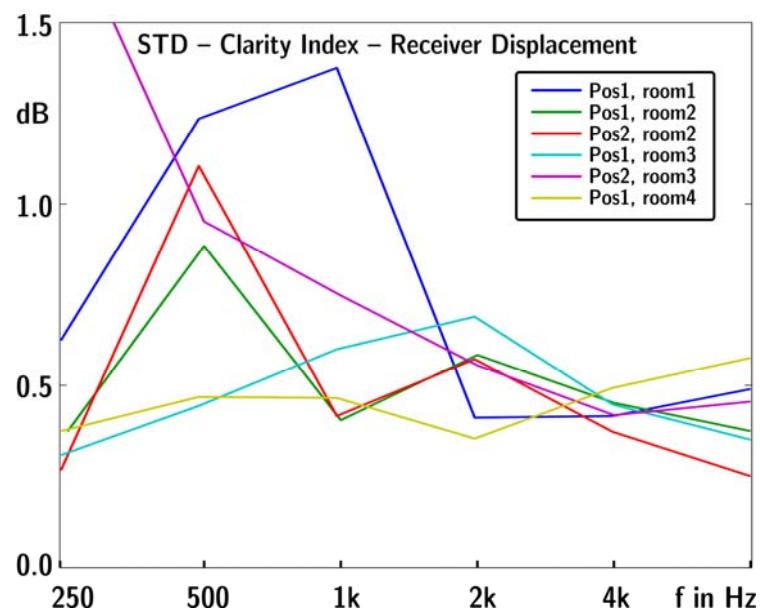
Source rotation



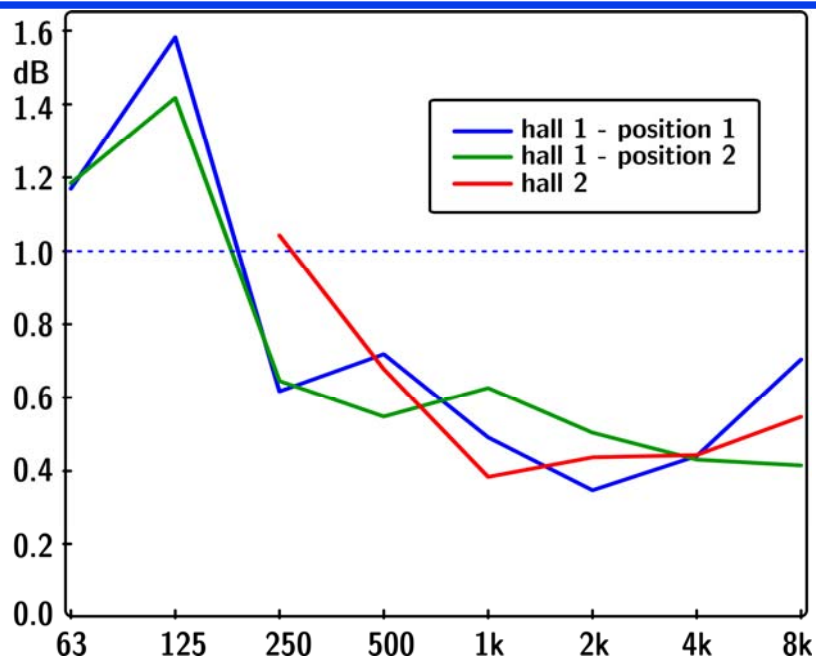
Another example: Receiver position



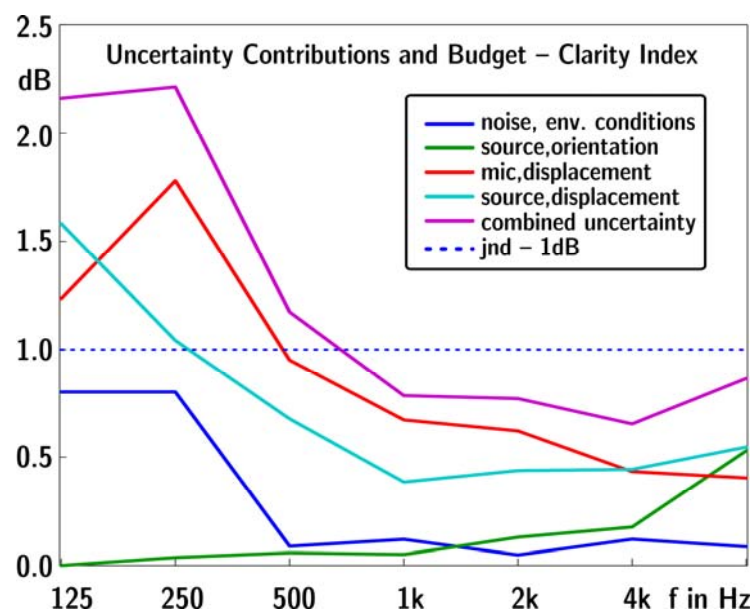
Receiver position



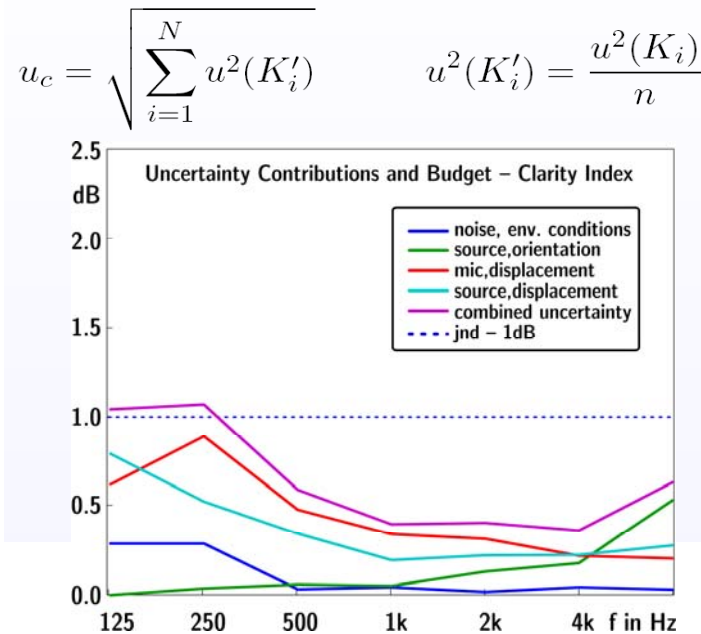
Source position



Uncertainty budget of a single measurement



Reduced uncertainty budget due to averaging



Conclusion

- New methods are powerful (ISO)
- Coming soon: New approaches in impact and structure-borne sound in buildings
- GUM – Strategy to reduce uncertainty
- GUM in sound insulation (Wittstock, PTB)